



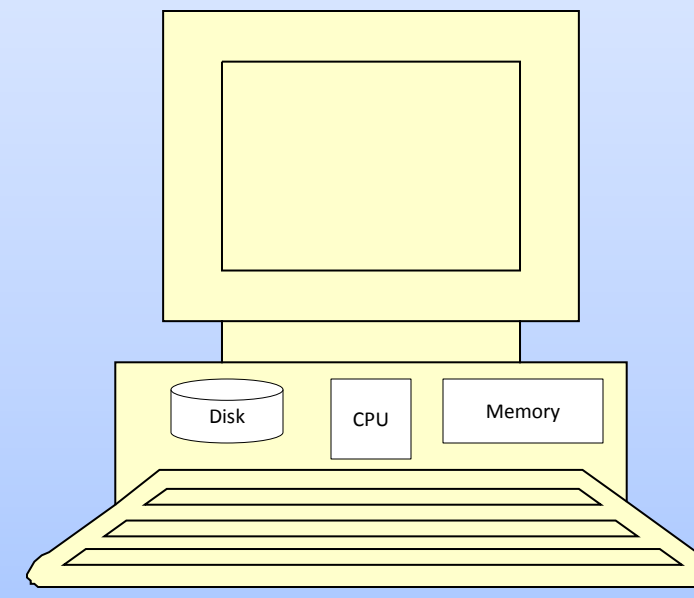
# Extending the Lifetime of New Generation Memory Technologies

Santiago Bock, Alexandre Ferreira, Dr. Bruce Childers, Dr. Rami Melhem and Dr. Daniel Mossé  
Department of Computer Science



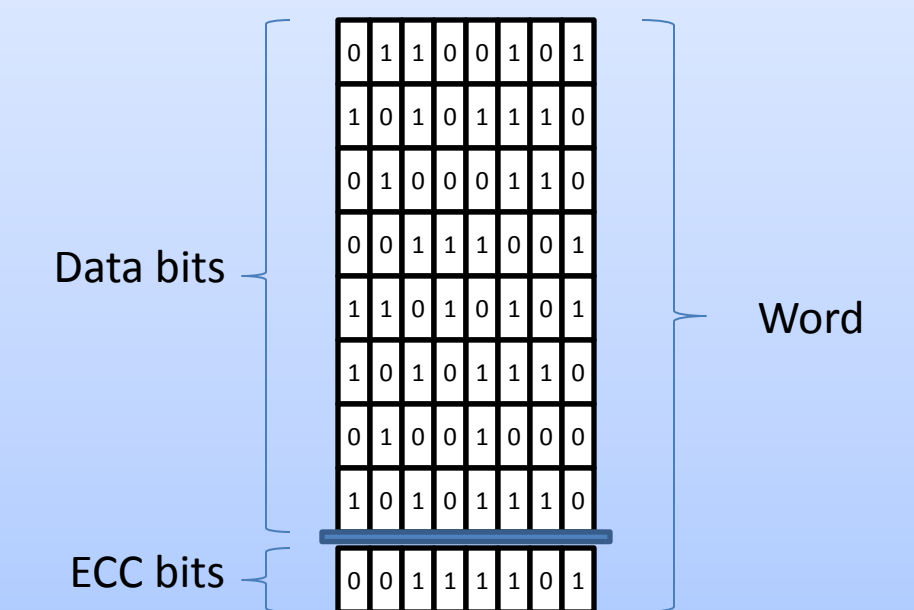
## 1. Introduction

- Main memory is currently built with DRAM, which is a type of volatile memory
- DRAM memories face two challenges: energy consumption (they need power to maintain stored information) and scalability (it is hard to build small capacitors)
- Phase Change Memory (PCM), a non-volatile memory, addresses this issues, but introduces other problems
- PCM memories have a limit on the number of times that data can be written before the memory wears out
- Most bits in PCM endure  $10^8$  writes, but some endure only  $10^6$  or  $10^7$  writes (weak bits) due to process variation



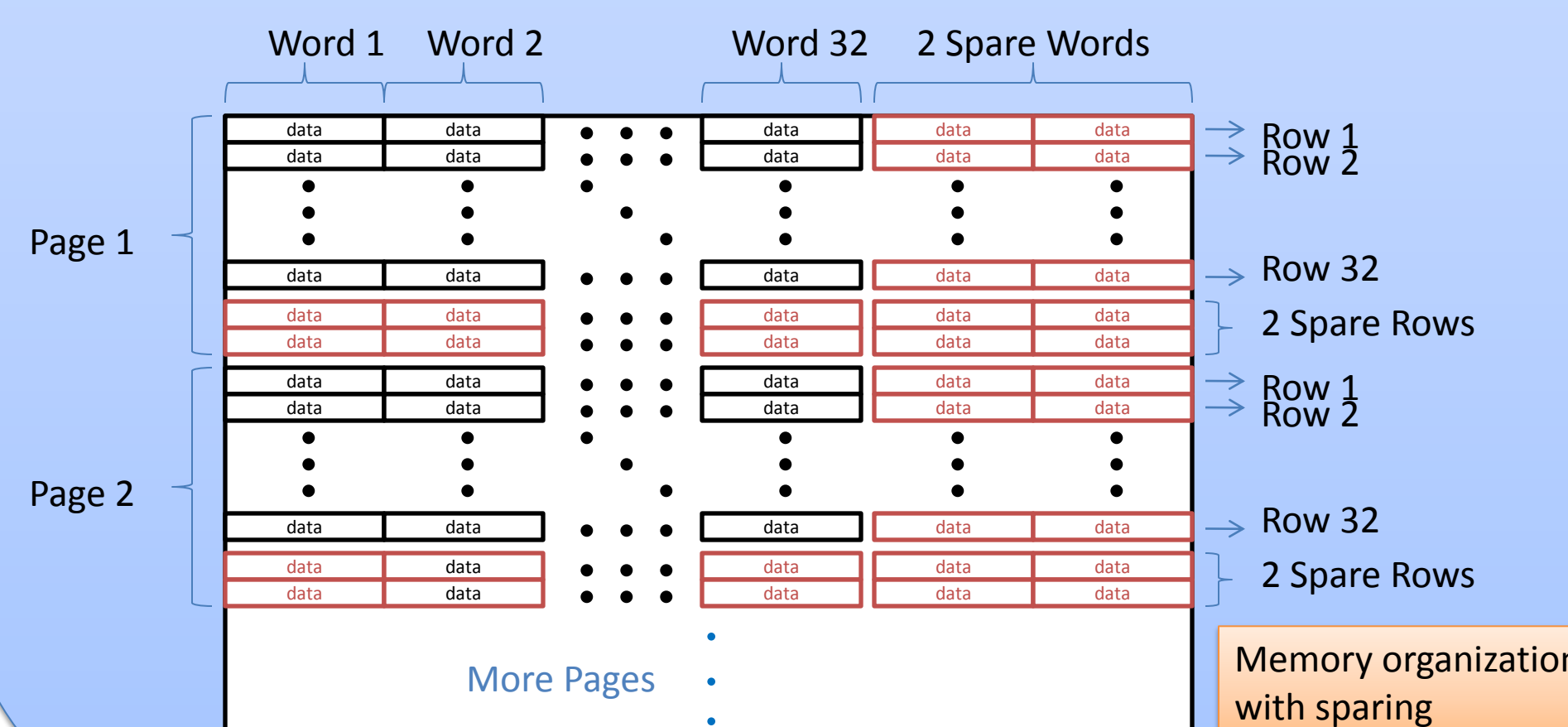
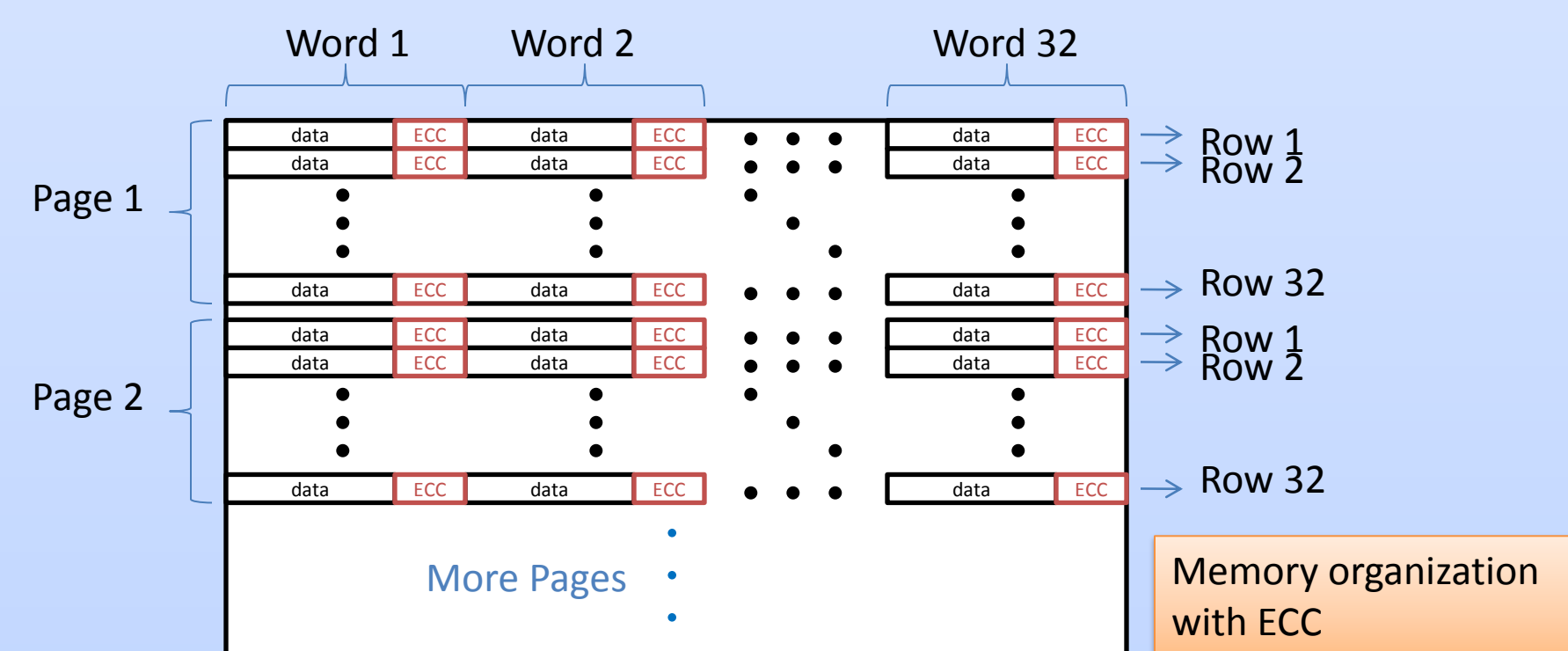
## 2. Motivation

- The information stored inside memories is sometimes corrupted due to soft errors, which alter the contents of individual bits of memory
- Error Correcting Codes (ECC) store redundant information along with the actual data to deal with soft errors
- Soft errors do not affect PCM, but ECC is still used to improve endurance
- ECC extends the lifetime of PCM memories by correcting errors caused by weak bits
- Using the same extra capacity, can we get a higher lifetime than ECC?



## 3. Sparring

- Internally, memories are collections of bits organized in words, rows and pages (for example, 64 bits form a word, 32 words form a row and 32 rows form a page)
- ECC is typically applied to each word (for example, there could be 8 ECC bits per each 64-bit word)
- Instead of using these extra ECC bits, we can combine the ECC bits of different words to form spare words or rows



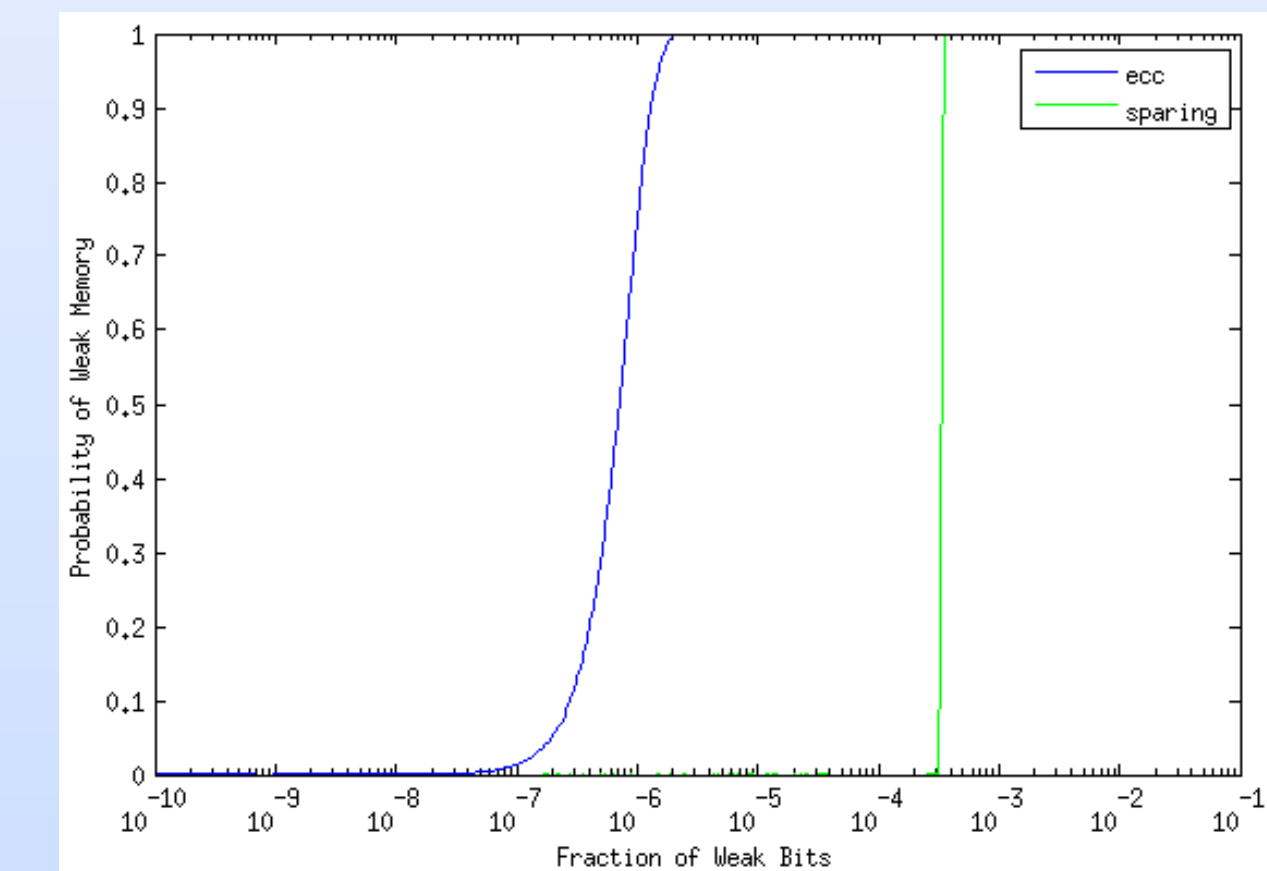
## 4. Modeling Memory Lifetime

- We assume that weak bits are uniformly distributed across the memory
- We calculate the probability that the lifetime of a word, row, page and of the whole memory is determined by the lifetime of the weak bits
- Some definitions:
  - D: number of data bits per word
  - E: number of ECC bits per word
  - W: number of words per row
  - SW: number of spare words per row
  - R: number of rows per page
  - SR: number of spare rows per page
  - P: number of pages in memory
  - p: fractions of weak bits
- q: probability of weak word with or without ECC
  - $q_{ECC}$ :  $P(\text{weak word ecc}) = 1 - (1-p)^{D+E} - (D+E)p(1-p)^{D+E-1}$
  - $q_{noECC}$ :  $P(\text{weak word no ecc}) = 1 - (1-p)^D$
- r: probability of weak row
 
$$P(\text{weak row}) = 1 - \sum_{i=0}^{SW} \binom{W+SW}{i} q^i (1-q)^{W+SW-i}$$
- t: probability of weak page
 
$$P(\text{weak page}) = 1 - \sum_{i=0}^{SR} \binom{R+SR}{i} r^i (1-r)^{R+SR-i}$$
- Probability of weak memory
 
$$P(\text{weak memory}) = 1 - (1-t)^P$$

## 6. Conclusions

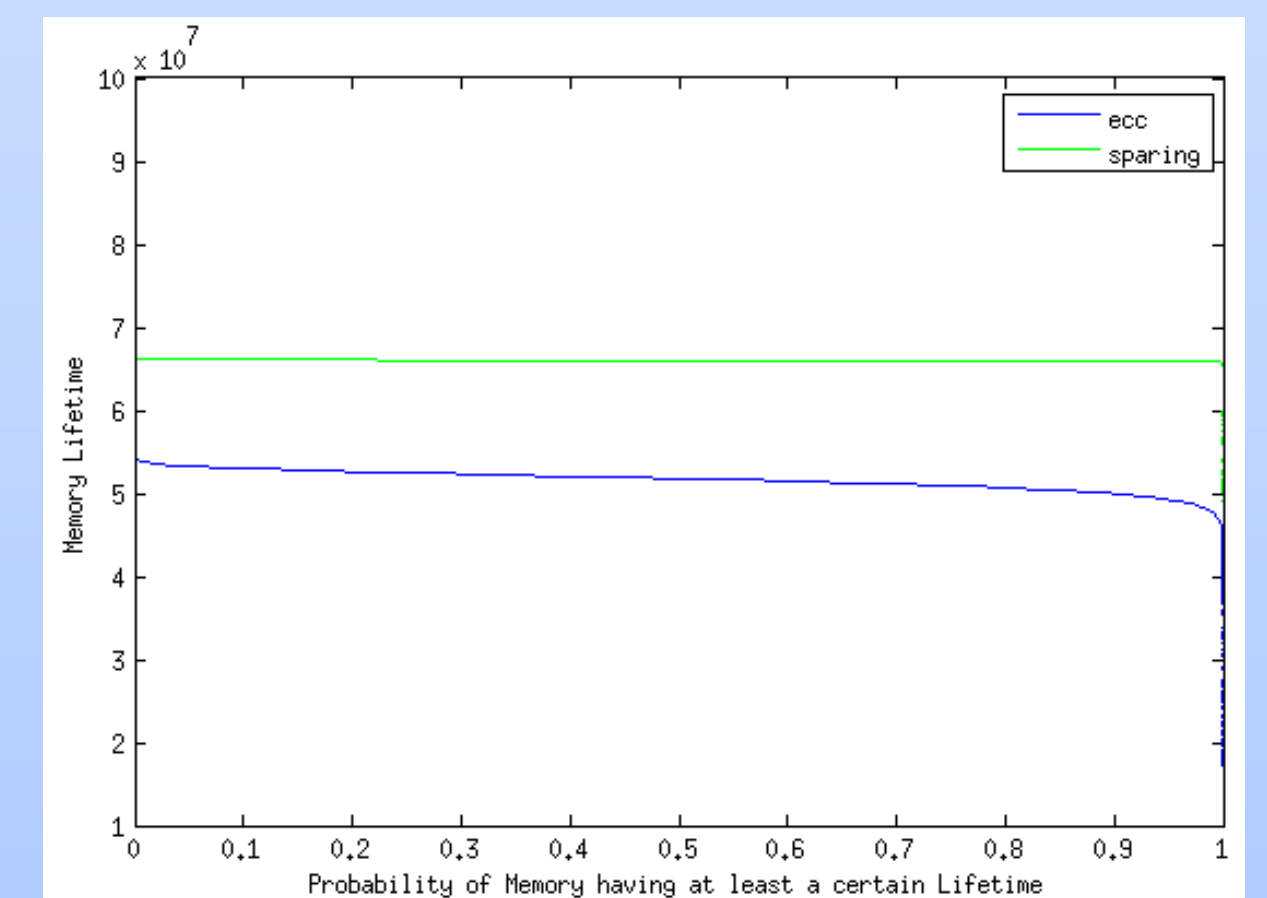
- We proposed a sparring scheme to extend the lifetime of PCM memories
- We developed a model to calculate the probability that a memory is weak, based on the fraction of weak bits in the memory
- Using this model, we showed that sparring yields strong memories for a larger range of fraction of weak bits using the same extra capacity as ECC
- We showed that sparring yields memories with lifetimes 44.2% higher than ECC

## 5. Results



This graph shows the fraction of the individual bits that are weak (x-axis) against the probabilities of the whole memory being weak (y-axis) for ECC (blue) and sparring (green)

- Strong memories have a probability of being weak close to 0
- Sparring yields strong memories for a larger range of fraction of weak bits than ECC



This graph shows the probability (x-axis) that the memory has a lifetime of at least a certain value (y-axis) for ECC (blue) and sparring (green), assuming that the distribution of lifetimes follows a normal curve centered at  $10^8$  and with standard deviation equal to  $10^7$

- Sparring yields memories with higher lifetime for a given value of probability
- Sparring yields a lifetime of  $6.57 \times 10^7$  with probability 99.9%, while ECC yields a lifetime of  $4.56 \times 10^7$  with the same probability