#### CS 2750 Machine Learning Lecture 2

# **Designing a learning system**

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#### Administrivia

- No homework assignment this week
- Please try to obtain a copy of Matlab: <u>http://technology.pitt.edu/software/matlab-students</u>
- A brief tutorial on Matlab next week

#### Learning: first look

Assume we get a dataset *D* that consists of pairs  $(\mathbf{x}, y)$ **Goal:** learn the mapping  $f: X \to Y$  to is able to predict well y for some future  $\mathbf{x}$ .

**Question:** How do we learn f ?

















### Learning: generalization error

We fit the model based on past examples observed in DTraining data: Data used to fit the parameters of the model Training error:

$$Error(D, a, b) = \frac{1}{n} \sum_{i=1}^{n} (y_i - f(x_i))^2$$

**Problem:** Ultimately we are interested in learning the mapping that performs well on the whole population of examples

True (generalization) error (over the whole population):

 $Error(a,b) = E_{(x,y)}[(y-f(x))^{2}]$ 

Mean squared error

**Training error tries to approximate the true error !!!!** Does a good training error imply a good generalization error ?



















#### How to evaluate the learner's performance?

• Generalization error is the true error for the population of examples we would like to optimize

 $E_{(x,y)}[(y-f(x))^2]$ 

- But it cannot be computed exactly
- Sample mean only approximates the true mean
- Optimizing the training error can lead to the overfit, i.e. training error may not reflect properly the generalization error

$$\frac{1}{n} \sum_{i=1,..,n} (y_i - f(x_i))^2$$

• So how to assess the generalization error?









































