# CS 2750 Machine Learning Lecture 1

# **Machine Learning**

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## Administration

#### **Instructor:**

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## TA:

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Office hours: TBA

## Who am I?

- Milos Hauskrecht –Professor of Computer Science
- Secondary affiliations:
  - Intelligent Systems Program (ISP),
  - Department of Biomedical Informatics (DBMI)
- Research work:
  - Machine learning, Data mining, Outlier detection,
     Probabilistic modeling, Time-series models and analysis

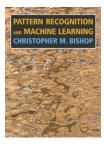
## **Applications to healthcare:**

 EHR data analysis, Patient monitoring and alerting, Patient safety

## Administration

## **Study material**

- Handouts, your notes and course readings
- Primary textbook:



 Chris. Bishop. Pattern Recognition and Machine Learning. Springer, 2006.

## Administration

## **Study material**

- · Other books:
  - K. Murphy. Machine Learning: A probabilistic perspective, MIT Press, 2012.
  - J. Han, M. Kamber. Data Mining. Morgan Kauffman, 2011.
  - Friedman, Hastie, Tibshirani. Elements of statistical learning. Springer, 2<sup>nd</sup> edition, 2011.
  - Koller, Friedman. Probabilistic graphical models. MIT Press, 2009.
  - Duda, Hart, Stork. Pattern classification. 2<sup>nd</sup> edition. J Wiley and Sons, 2000.
  - T. Mitchell. Machine Learning. McGraw Hill, 1997.

## Administration

- · Homework assignments: weekly
  - Programming tool: Matlab (free license, CSSD machines and labs)
  - Matlab Tutorial: next week
- Exams:
  - Midterm + Final
  - Midterm before Spring break
- Term project
- Lectures:
  - Attendance and Activity

## **Tentative topics**

- Introduction
- Density estimation
- Supervised Learning
  - Linear models for regression and classification.
  - Multi-layer neural networks.
  - Support vector machines. Kernel methods.
- Unsupervised Learning
  - Learning Bayesian networks
  - Latent variable models. Expectation maximization.
  - Clustering

# **Tentative topics (cont)**

- Ensemble methods
  - Mixture models
  - Bagging and boosting
- Dimensionality reduction
  - Feature selection
  - Principal component analysis (PCA)
- Reinforcement learning



# **Machine Learning**

- The field of **machine learning** studies the design of computer programs (agents) capable of learning from past experience or adapting to changes in the environment
- The need for building agents capable of learning is everywhere.

## **Examples:**

- text, web page classification
- web search
- speech recognition



# **Machine Learning**

## • Examples:

- Image/video classification, annotation and retrieval
- adaptive interfaces
- commercial software
- Game playing







## **Learning process**



Learner (a computer program) processes data **D** representing past experiences and tries to build a **model** that either:

- Generates appropriate response to future data, or
- Describes in some meaningful way the data seen

### **Example:**

Learner sees a set of patient cases (patient records) with corresponding diagnoses. It can either try:

- to predict the occurrence of a disease for future patients
- describe the dependencies between diseases, symptoms

## Types of learning problems

- Supervised learning
  - Takes data that consists of pairs (x,y)
  - Learns mapping  $f: \mathbf{x}$  (input)  $\rightarrow \mathbf{y}$  (output, response)
- Unsupervised learning
  - Takes data that consist of vectors x
    - Learns relations x among vector components
    - Groups/clusters data into the groups
- Reinforcement learning
  - Learns mapping  $f: x \text{ (input)} \rightarrow y \text{ (desired output)}$
  - From (x,y,r) triplets where x is an input, y is a response chosen by the user/system, and r is a reinforcement signal
  - Online: see x, choose y and observe r
- Other types of learning: Active learning, Transfer learning, Deep learning

# **Supervised learning**

Data:  $D = \{d_1, d_2, ..., d_n\}$  a set of n examples  $d_i = \langle \mathbf{x}_i, y_i \rangle$ 

 $\mathbf{x}_i$  is input vector, and y is desired output (given by a teacher)

**Objective:** learn the mapping  $f: X \to Y$ 

s.t. 
$$y_i \approx f(x_i)$$
 for all  $i = 1,...,n$ 

Two types of problems:

• Regression: X discrete or continuous →

Y is continuous

• Classification: X discrete or continuous →

Y is discrete

# Supervised learning examples

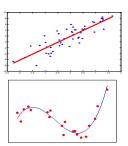
• Regression: Y is continuous

Debt/equity

Earnings

Future product orders

Stock price

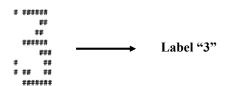


#### Data:

Debt/equity	Earnings	Future prod orders	Stock price
20	115	20	123.45
18	120	31	140.56

# Supervised learning examples

• Classification: Y is discrete



504/9213 44604567 50271864 13591565 10375809 87409756 23949210 56793970

Handwritten digit (array of 0,1s)

Data: image digit

3

7

5

# **Unsupervised learning**

- **Data:**  $D = \{d_1, d_2, ..., d_n\}$   $d_i = \mathbf{x}_i$  vector of values No target value (output) y
- Objective:
  - learn relations between samples, components of samples

## **Types of problems:**

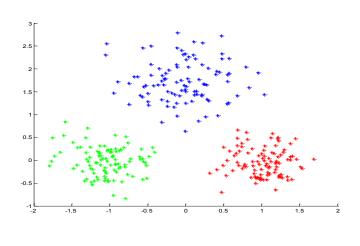
• Clustering

Group together "similar" examples, e.g. patient cases

- Density estimation
  - Model probabilistically the population of samples

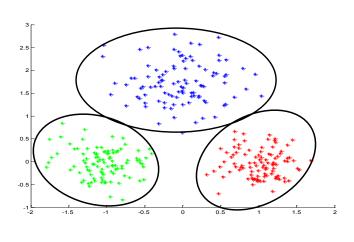
# Unsupervised learning example

• Clustering. Group together similar examples  $d_i = \mathbf{x}_i$ 



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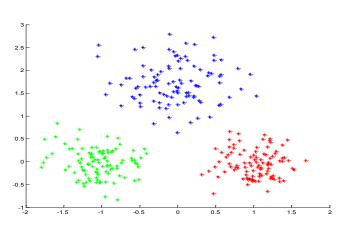


# Unsupervised learning example Clustering. Group together similar examples



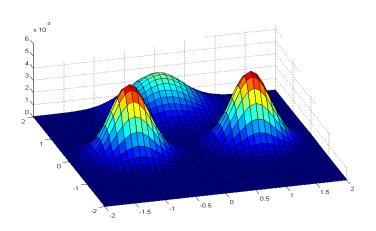
# Unsupervised learning example

• **Density estimation.** We want to build a probability model  $P(\mathbf{x})$  of a population from which we drew examples  $d_i = \mathbf{x}_i$ 



# **Unsupervised learning. Density estimation**

- A probability density of a point in the two dimensional space
  - Model used here: Mixture of Gaussians

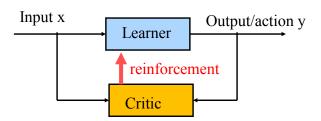


## Reinforcement learning

We want to learn:  $f: X \to Y$ 

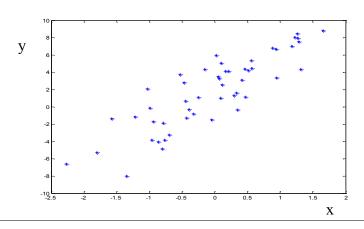


- We see examples of inputs  $\mathbf{x}$  but not y
- We select y for observed x from available choices
- We get a feedback (reinforcement) from a **critic** about how good our choice of y was

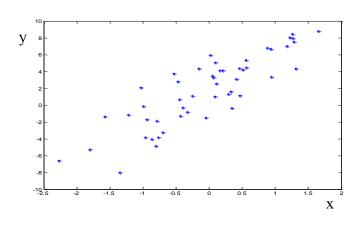


• The goal is to select outputs that lead to the best reinforcement

- Assume we see examples of pairs  $(\mathbf{x}, y)$  in D and we want to learn the mapping  $f: X \to Y$  to predict y for some future  $\mathbf{x}$
- We get the data *D* what should we do?

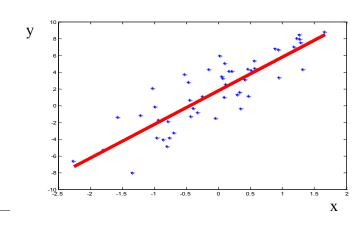


- Problem: many possible functions  $f: X \to Y$  exists for representing the mapping between  $\mathbf{x}$  and  $\mathbf{y}$
- Which one to choose? Many examples still unseen!

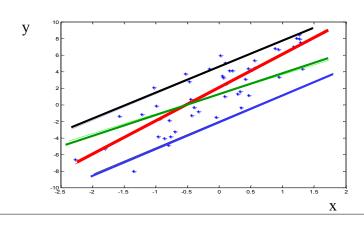


• Solution: make an assumption about the model, say,

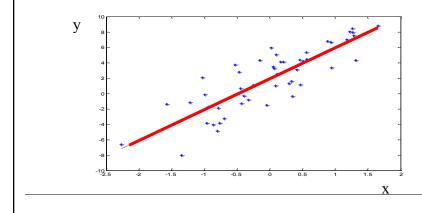
$$f(x) = ax + b$$



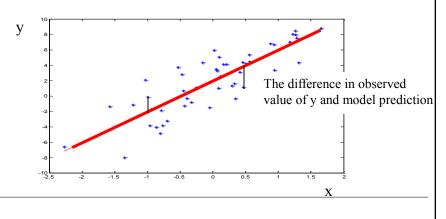
- Choosing a parametric model or a set of models is not enough Still too many functions f(x) = ax + b
  - One for every pair of parameters a, b



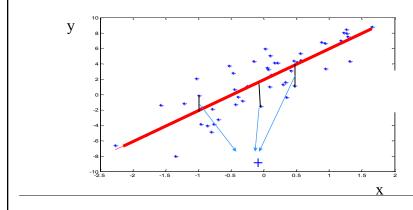
- We want the **best set** of model parameters
  - reduce the misfit between the model **M** and observed data **D**
  - Or, (in other words) explain the data the best
- How to measure the misfit?



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# **Learning: first look**

- We want the **best set** of model parameters
  - reduce the misfit between the model **M** and observed data **D**
  - Or, (in other words) explain the data the best
- How to measure the misfit?

## **Objective function:**

- Error function: Measures the misfit between D and M
- Examples of error functions:
  - Average Square Error  $\frac{1}{n} \sum_{i=1}^{n} (1)^{n}$

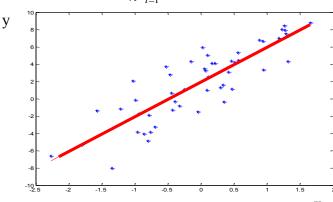
$$\frac{1}{n} \sum_{i=1}^{n} (y_i - f(x_i))^2$$

Average Absolute Error

$$\frac{1}{n}\sum_{i=1}^n|y_i-f(x_i)|$$

- Linear regression problem
  - Minimizes the squared error function for the linear model

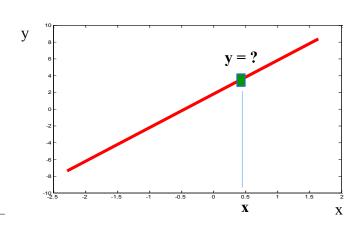
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# **Learning: first look**

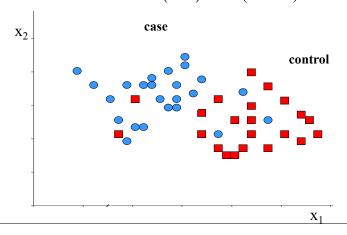
• **Application:** A new example **x** with unknown value y is checked against the model, and y is calculated

$$y = f(x) = ax + b$$



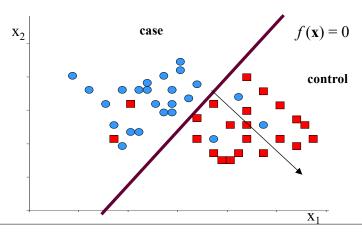
# **Supervised learning: Classification**

Data D: pairs (x, y) where y is a class label:
 y examples: patient will be readmitted or no,
 has disease (case) or no (control)



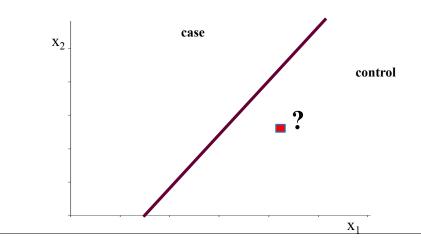
# **Supervised learning: Classification**

- Find a model  $f: X \to R$ , say  $f(x) = ax_1 + bx_2 + c$  that defines a decision boundary  $f(\mathbf{x}) = 0$  that separates well the two classes
  - Note that some examples are not correctly classified



## **Supervised learning: Classification**

• A new example x with unknown class label is checked against the model, the class label is assigned

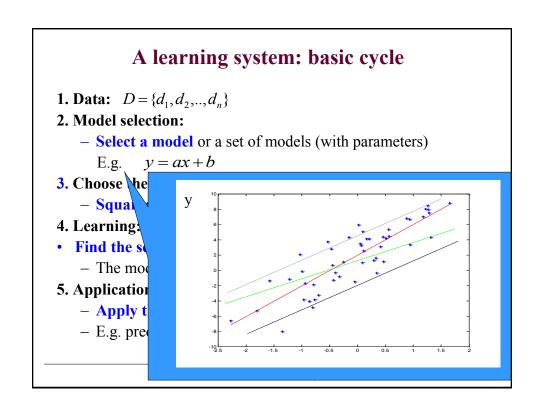


# Learning: first look

- **1. Data:**  $D = \{d_1, d_2, ..., d_n\}$
- 2. Model selection:
  - Select a model or a set of models (with parameters) E.g. y = ax + b
- 3. Choose the objective function
  - Squared error  $\frac{1}{n} \sum_{i=1}^{n} (y_i f(x_i))^2$
- 4. Learning:
- Find the set of parameters optimizing the error function
  - The model and parameters with the smallest error
- 5. Application
  - Apply the learned model to new data
  - E.g. predict ys for new inputs x using learned  $f(\mathbf{x})$

CS 2750 Machine Learning

# Learning: first look 1. Data: $D = \{d_1, d_2, ..., d_n\}$ 2. Model election E.g. 3. Choose the election of the set of the model of the model of the set of the set of the model of the set o



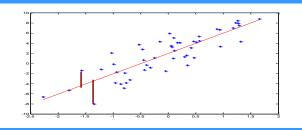
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  - Apply the learned model to new data
- Looks straightforward, but there are problems ....