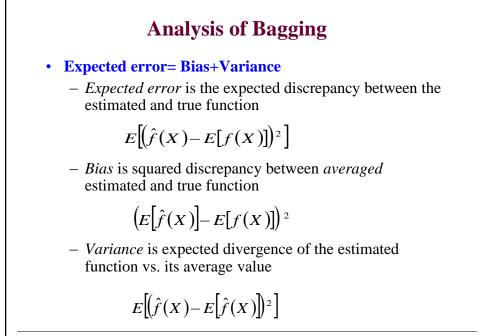
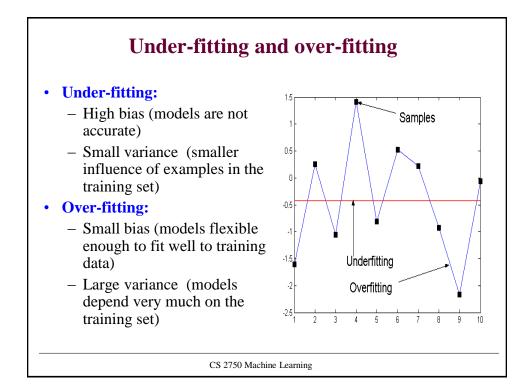
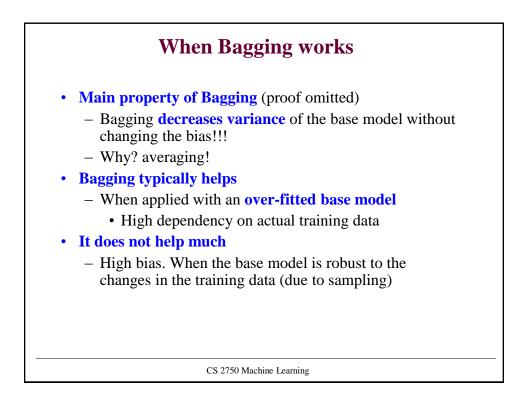


Bagging (Bootstrap Aggregating) Given: Training set of N examples A class of learning models (e.g. decision trees, neural networks, ...) Method: Train multiple (k) models on different samples (data splits) and average their predictions Predict (test) by averaging the results of k models Goal: Average of misclassification errors on different data splits gives a better estimate of the predictive ability of a learning method

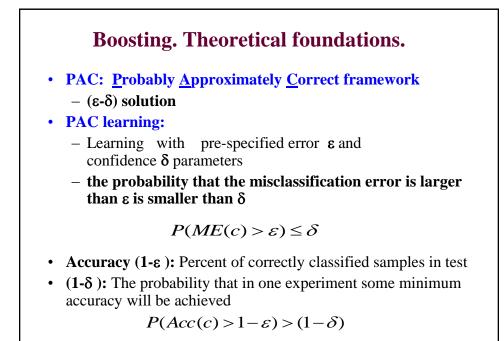
Bagging algorithm
Training
- In each iteration $t, t=1,T$
• Randomly sample with replacement N samples from the training set
 Train a chosen "base model" (e.g. neural network, decision tree) on the samples
• Test
 For each test example
Start all trained base models
• Predict by combining results of all T trained models:
- Regression: averaging
 Classification: a majority vote
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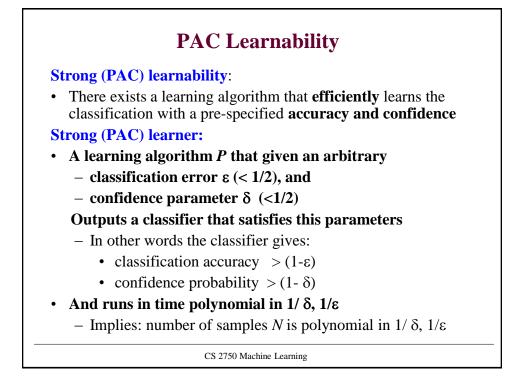


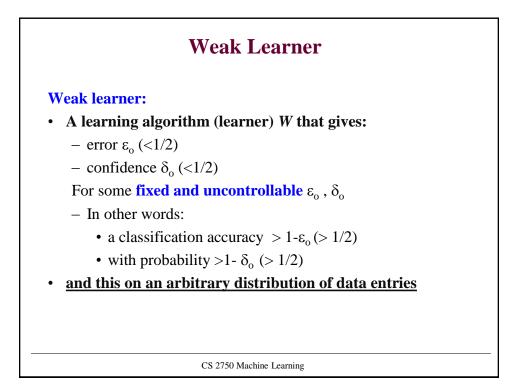


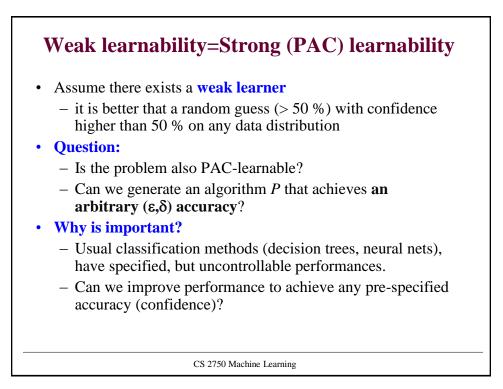


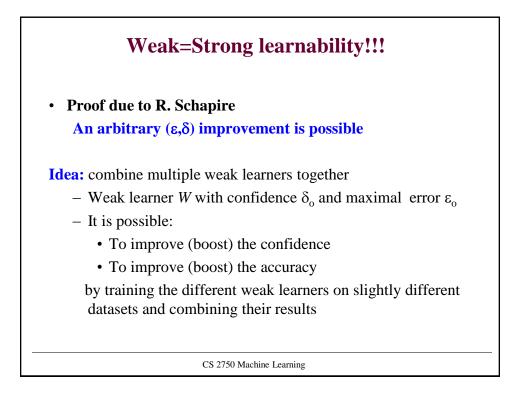
Boosting
 Mixture of experts – One expert per region – Expert switching
 Bagging Multiple models on the complete space, a learner is not biased to any region Learners are learned independently
 Boosting Every learner covers the complete space During training the learners are biased to regions not predicted well by other learners
- <u>Learners are dependent</u> CS 2750 Machine Learning

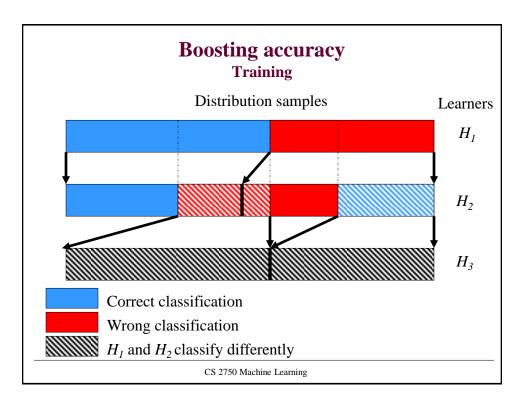


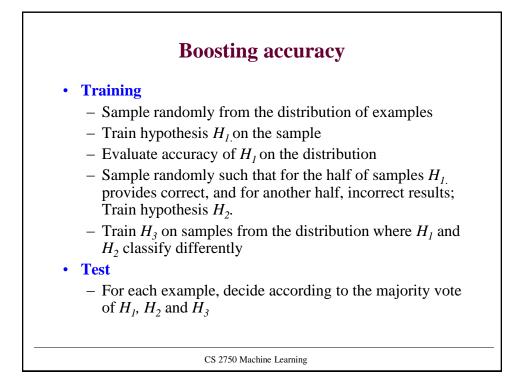


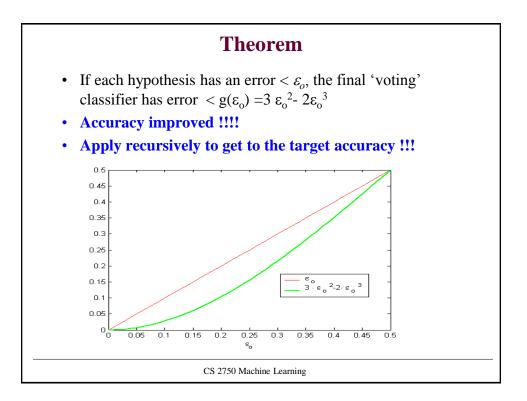


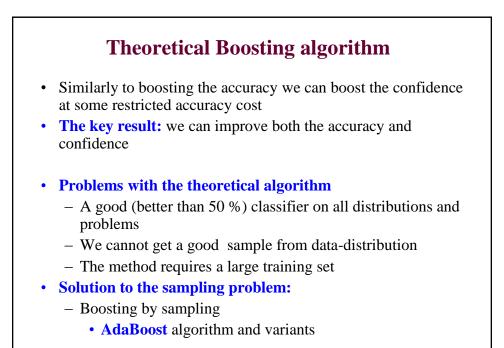


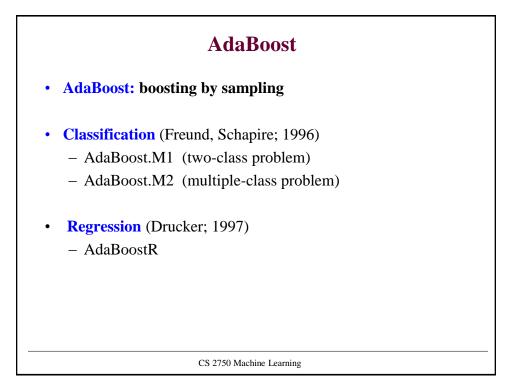


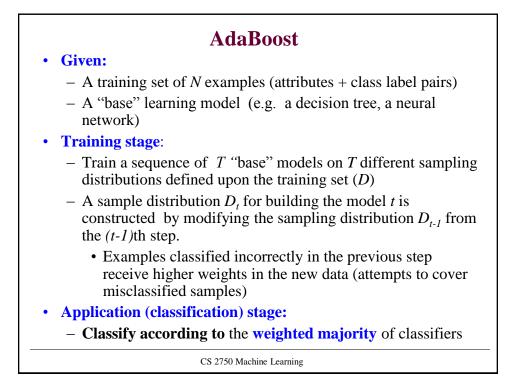


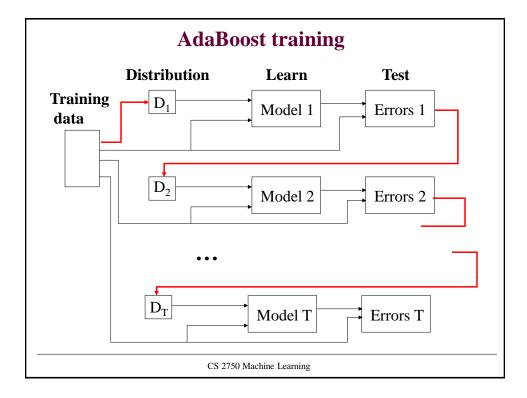


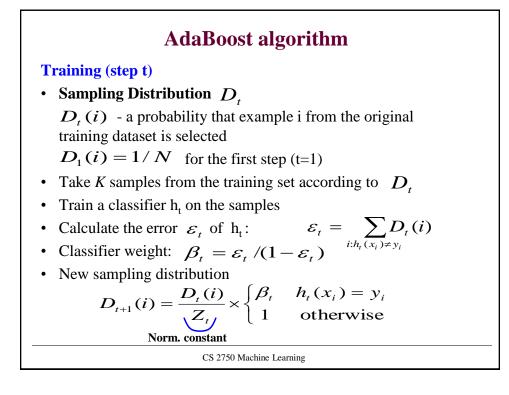


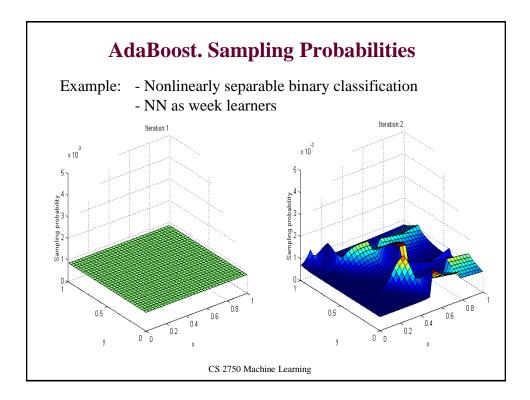


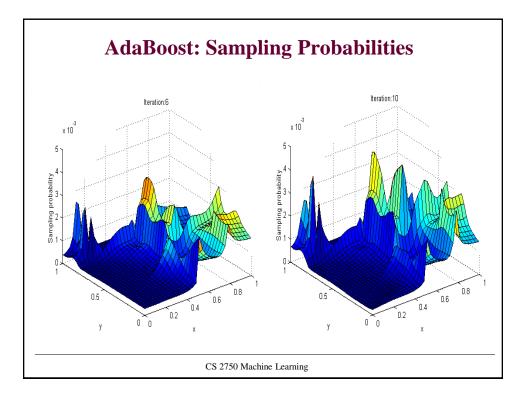












AdaBoost classification
• We have T different classifiers h_t
- weight w_t of the classifier is proportional to its accuracy on the training set
$W_t = \log(1/\beta_t) = \log((1-\varepsilon_t)/\varepsilon_t)$
$\beta_t = \varepsilon_t / (1 - \varepsilon_t)$
Classification:
For every class <i>j</i> =0,1
 Compute the sum of weights w corresponding to ALL classifiers that predict class j;
• Output class that correspond to the maximal sum of weights (weighted majority)
$h_{final}(\mathbf{x}) = \arg \max_{j} \sum_{t:h_t(x)=j} w_t$
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