

<b>Parameter estimation</b>	
Other possible criteria:	
• Maximum a posteriori	probability (MAP)
maximize $p(\boldsymbol{\Theta} \mid D,$	(mode of the posterior) $(\xi)$
- Yields: one set of par	rameters $\Theta_{MAP}$
- Approximation: $\hat{p}(\mathbf{X}) = p(\mathbf{X})$	$(\Theta_{MAP})$
• Expected value of the p	parameter
$\hat{\mathbf{\Theta}} = E(\mathbf{\Theta})$	(mean of the posterior)
- Expectation taken wi	th regard to posterior $p(\boldsymbol{\Theta} \mid D, \xi)$
- Yields: one set of par	
– Approximation:	
$\hat{p}(\mathbf{X}) = p(\mathbf{X})$	$ \hat{\mathbf{\Theta}}\rangle$

# **Distribution models**

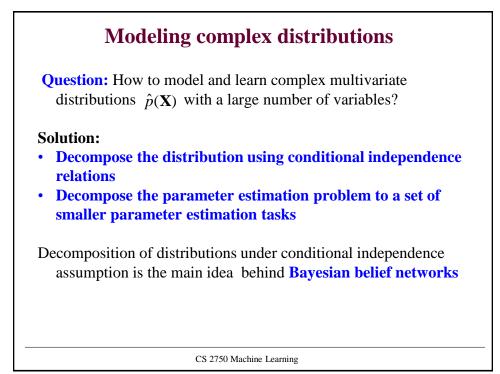
• So far we have covered density estimation for "simple" distribution models:

- Bernoulli
- Binomial
- Multinomial
- Gaussian
- Poisson

### **But what if:**

- The dimension of  $\mathbf{X} = \{X_1, X_2, \dots, X_d\}$  is large
  - Example: patient data
- Compact parametric distributions do not seem to fit the data
  E.g.: multivariate Gaussian may not fit
- We have only a "small" number of examples to do accurate parameter estimates

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# Example

#### **Problem description:**

- Disease: pneumonia
- Patient symptoms (findings, lab tests):
  - Fever, Cough, Paleness, WBC (white blood cells) count, Chest pain, etc.

**Representation of a patient case:** 

• Symptoms and disease are represented as random variables

### **Our objectives:**

- Describe a multivariate distribution representing the relations between symptoms and disease
- Design of inference and learning procedures for the multivariate model

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