1.) Write the following regular expressions:

a.) Binary numbers that are multiples of eight

### (0|1)\*000

b.) Binary numbers that are an integer power of 2.

## 0\*10\*

c.) Valid C/Java integer constants that can be negative or positive, in decimal, octal, or hexadecimal.

The simple but "wrong" way:

([+-]?([1-9][0-9]+)|(0[0-7]+))|(0[xX][0-9a-fA-F]+)

The "Valid" part requires us to only match numbers in the proper range. It's impossible for C, since int literals are different depending on the architecture. But for Java and C if we assumed 32-bit, we might do:

```
0[xX][0-9a-fA-F]{,8}
```

d.) A string literal without escape sequences

"[^\"]\*"

Your regex engine probably would require escaping some of those in the regex itself.

e.) A block comment without nesting (/\* to \*/)

```
(
    {NotAStarOrSlash}
    | {Newline}
)
)
```

```
)*
{CommentEnd}
```

# Yields: /\\*([^\*]|[\n]|(\\*+([^\*/]|[\n])))\*\\*+/

Or JFlex will let you do:

"/\\* ~ \\*/"

f.) A string of a's and b's with an odd number of b's.

It's probably easiest to start with a DFA:



From this we can see repetition of a can be anywhere, and that we need one b and then zero or more pairs of b's to accept. To convert that into a RE:

#### a\*ba\*(a\*ba\*ba\*)\*

2.) Using the Thompson's algorithm construction from lecture, convert the following regular expression to an NFA (alphabet is {a,b}):

# As a RE of fundamental operations: $(b|\epsilon)(ab)*bbb*$



3.) Using the Thompson's algorithm construction from lecture, convert the following regular expression to an NFA (alphabet is {a,b}):

#### a+bab?a

## As a RE of fundamental operations: $aa*ba(b|\epsilon)a$

